

Nucleon knockout: reaction and structure



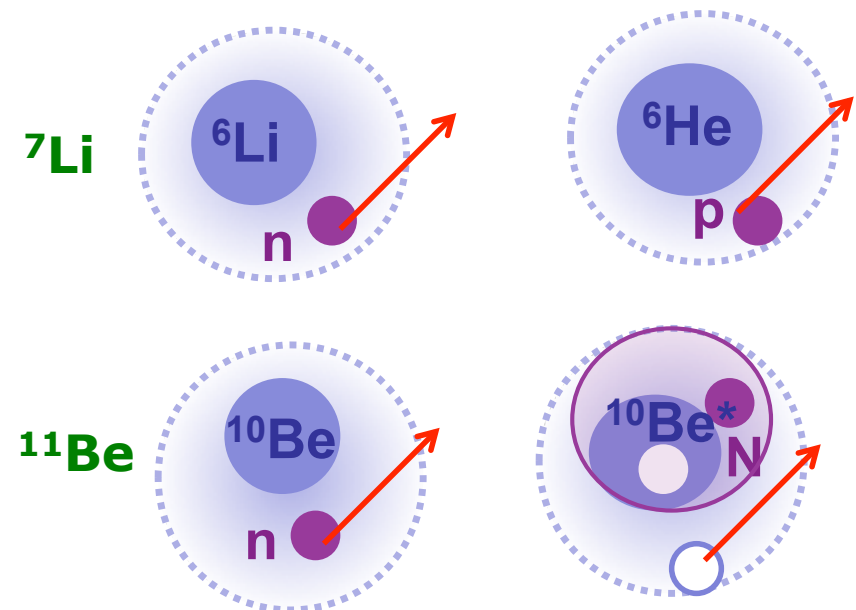
Raquel Crespo

Collaborators: E.Cravo, A. Deltuva, A. Arriaga, R. Wiringa

Questions to be addressed:

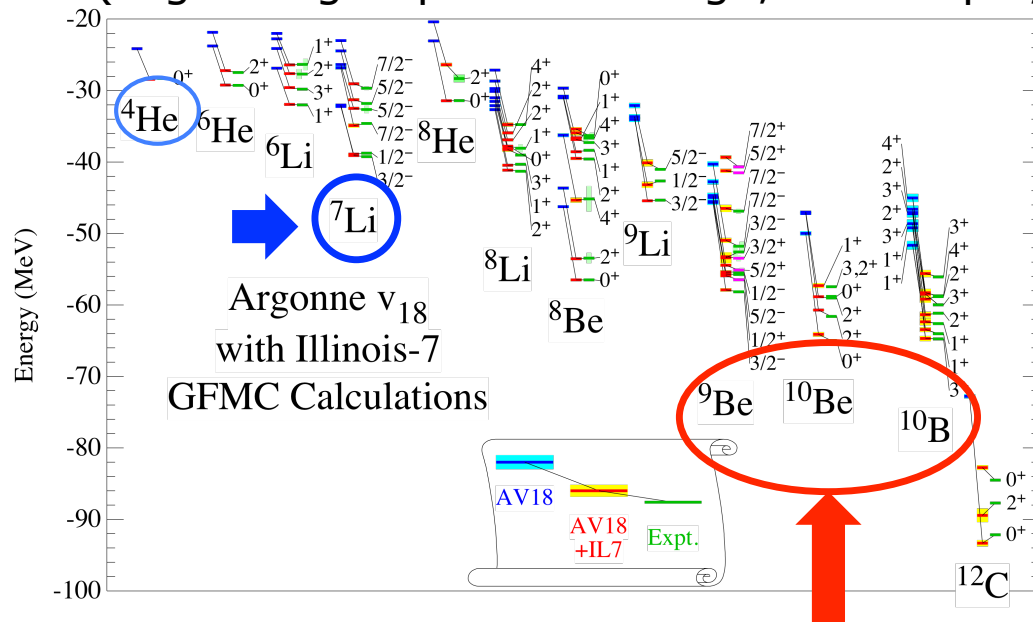
1) What is the **accuracy** of current standard Fewbody DR approaches ?

2) What are the role of the **many body degrees of freedom** in the scattering process?



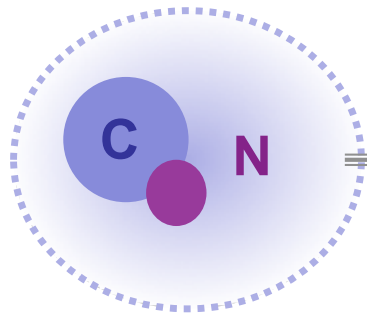
Structure break through: *Ab initio* models

- Offer the unique possibility to get insight on effects beyond truncated model space approaches, that might include the role of **NNN**, **continuum effects**.
- Ex1: Variational and Green 's function Monte Carlo (VMC, GFMC) techniques (Argonne group: R.B. Wiringa, S.C. Pieper,)



$$H = \sum_i K_i + \sum_{i\langle j} v_{ij} + \sum_{i\langle j\langle k} v_{ijk}$$

- Ex2: NCSM/RGM (S. Quaglioni, P. Navratil, Phys Rev Lett 101, 092501 (2008))



Projectile = C + n

Reaction break through: Exact reaction fewbody frameworks

- Nonrelativistic
- Treats all 3 particles on an equal footing
- Treats **all open channels simultaneously**

- Formulated in terms of the transition amplitude for each interacting pair:

$$t_\gamma = v_\gamma + v_\gamma G_0 t_\gamma$$

Pair transition operators

$$G_0 = (E + i0 - H_0)^{-1}$$

Free propagator

$$U^{\beta\alpha} = \bar{\delta}_{\beta\alpha} G_0^{-1} + \sum_\gamma \bar{\delta}_{\beta\gamma} t_\gamma G_0 U^{\gamma\alpha}$$

$$\bar{\delta}_{\beta\alpha} = 1 - \delta_{\beta\alpha} \quad \text{integral equations}$$

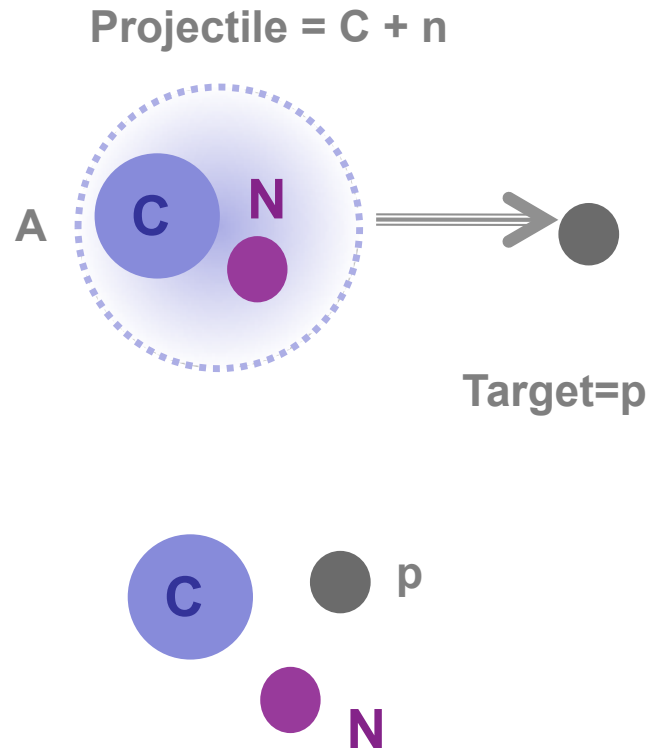
elastic, inelastic, transfer, breakup/knockout

Tool for investigating:

- ✓ Single particle properties
- ✓ Spectroscopic factors

- **Note: Spectroscopic factors are not observables:** extracted from data *under the assumption of the validity of a reaction theory and a structure model*

Revisiting *standard* pair interactions



➤ N-C pair interaction:

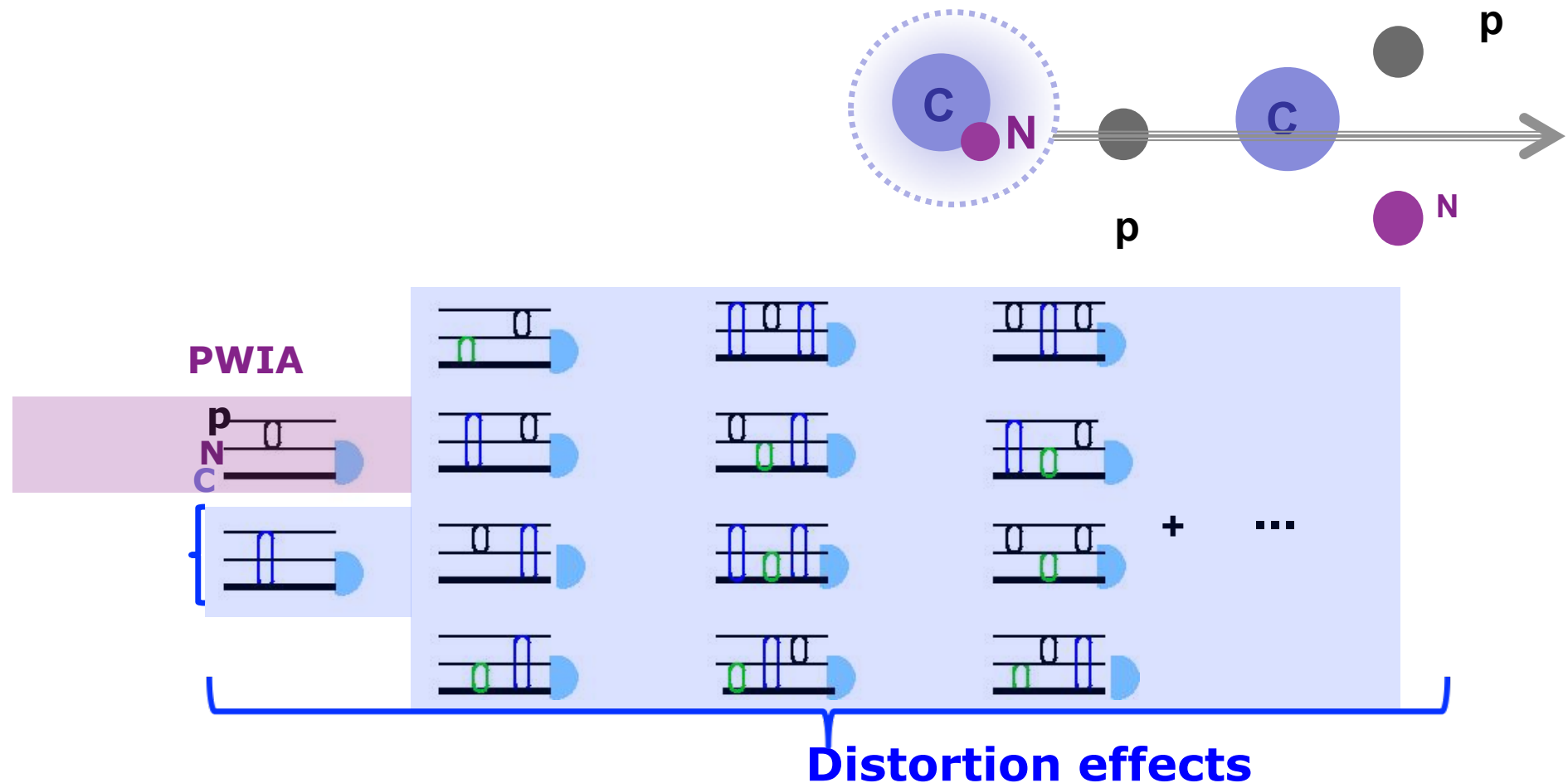
- ❑ Bound and scattering states are treated *inconsistently*
- ❑ L-dependent and local interaction for bound and excited states

$$V(r) = -V_c f(r, R_0, a_0) + 4\vec{L} \cdot \vec{S} V_{SO} \frac{1}{r} \frac{d}{dr} f(r, R_{SO}, a_{SO})$$

- ❑ Energy independent optical potential for all other states in the continuum, with very limited validity (example Koning-Delaroche)
- ❑ Properties of the projectile (NC) system taken into account:
 - Separation energies
 - Some low lying states and resonances

➤ p-C optical potential often unknown

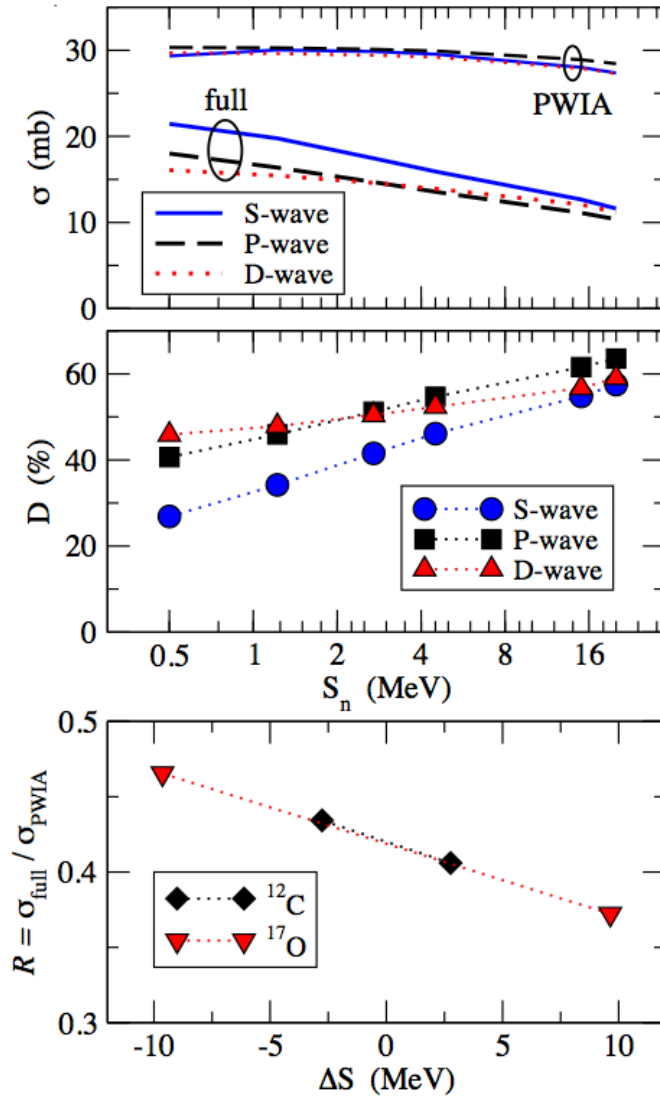
Introduction: Faddeev/AGS in a nutshell



Interplay in accessing **the accuracy of distortion effects**:

Dynamics: accurate treatment of terms involving **N-C rescattering contributions**

Structure: requires a good description of the N-C interaction



$$D = \frac{\sigma(pn) - \sigma(full)}{\sigma(pn)}$$

E. Cravo, R. Crespo, A. Deluiva, Distortion effects on the neutron knockout from exotic nuclei in the collision with a proton target, PRC 93, 054612 (2016).

breakup/N-knockout observables

- Kinematically fully exclusive cross sections :

$$d^5\sigma/dSd\Omega_Zd\Omega_N(mb/MeV.sr^2) \quad dS = \sqrt{dE_N^2 + d\mathbf{p}_N^2}$$

- Double cross sections: $Z = C$ or p

$$d^2\sigma/dE_p d\theta_p (mb/MeV \text{ rad})$$

$$d^2\sigma/dE_N d\theta_N (mb/MeV \text{ rad}) \quad d^2\sigma/\theta_p d\theta_N (mb/\text{rad}^2)$$

- Semi-inclusive cross sections:

$$d\sigma/d\theta_Z (mb/sr) \quad \diamond \text{ Angular distributions}$$

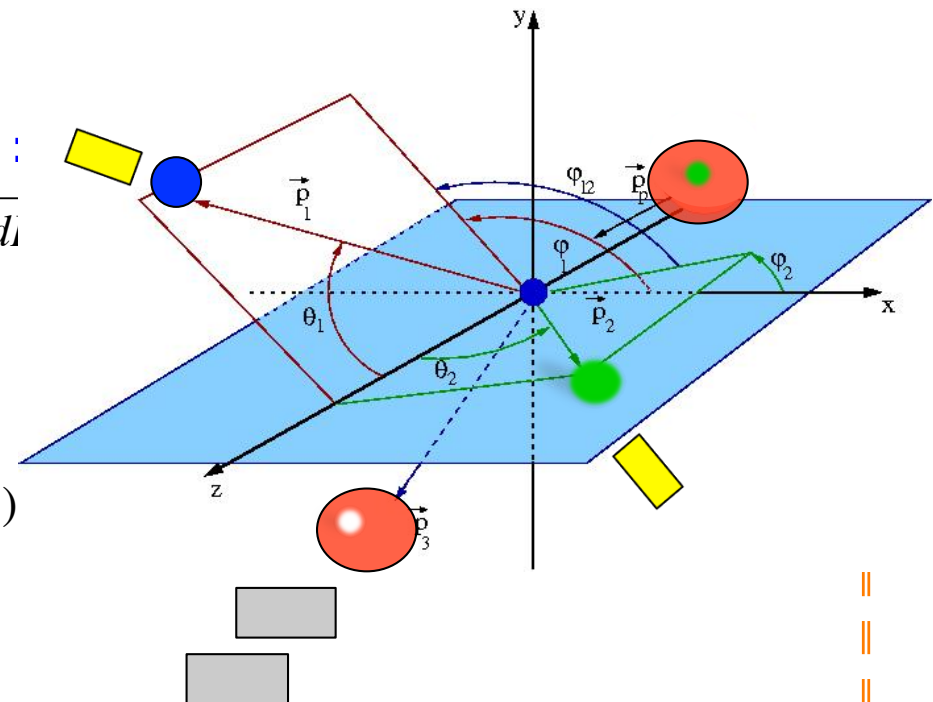
$$d\sigma/dE_{rel} (mb/MeV) \quad \diamond \text{ Energy spectrum}$$

$$d\sigma/dp_z^x (mb/MeV/c) \quad \diamond \text{ Transverse momentum distribution}$$

$$d\sigma/dp_z^z (mb/MeV/c) \quad \diamond \text{ Longitudinal momentum distribution}$$

- Inclusive: Total cross sections:

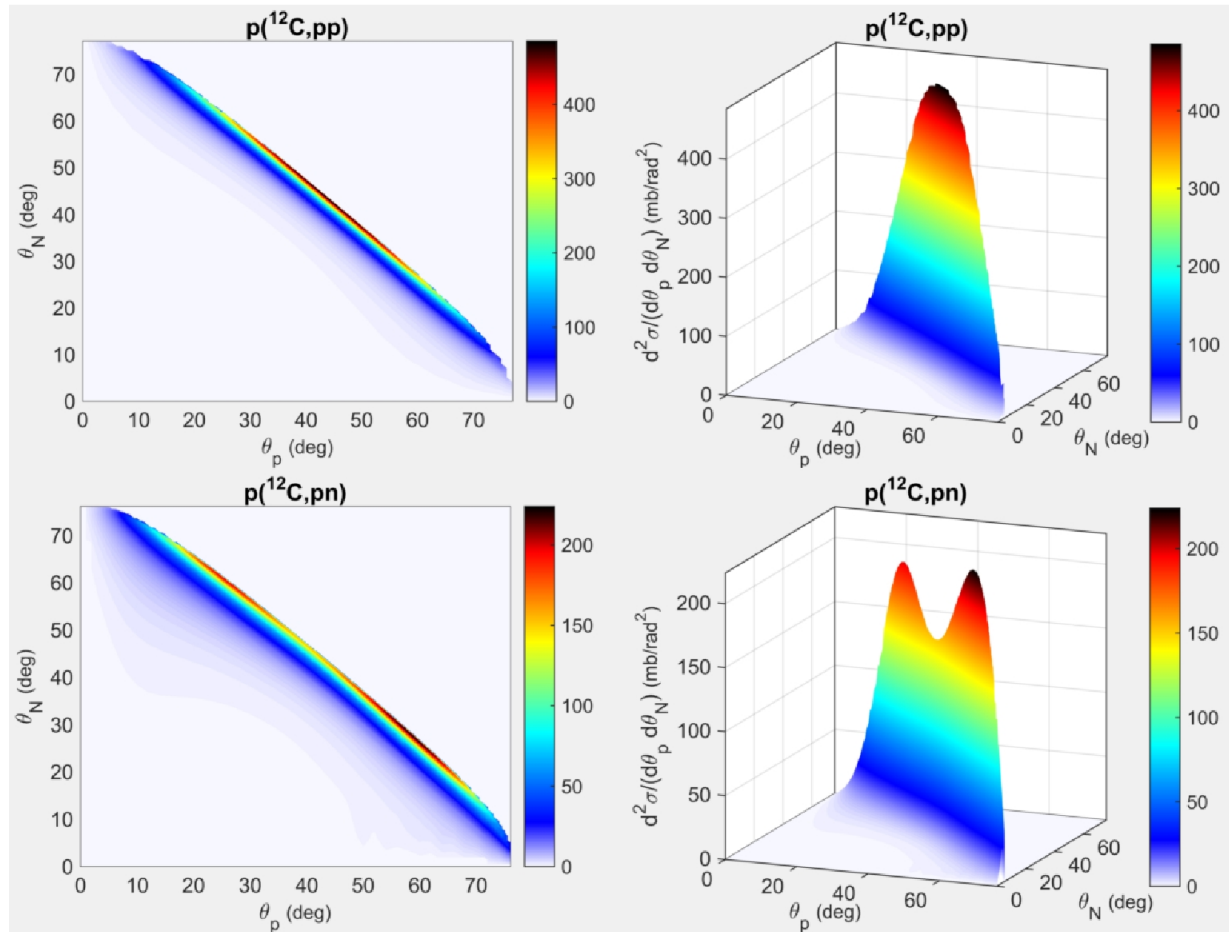
$$\sigma(\text{PWIA}) ; \sigma(\text{FADD})$$



Kinematic
Integration
Physics information
lost

*Kinematically Semi-inclusive and Inclusive breakup/N-knockout observables
@ Current RIB facilities presently*

□ Double cross sections: $d^2\sigma/\theta_p d\theta_N$ (mb/rad²)



R. Crespo, E. Cravo, A. Deltuva, A. Deltuva, submitted PRC

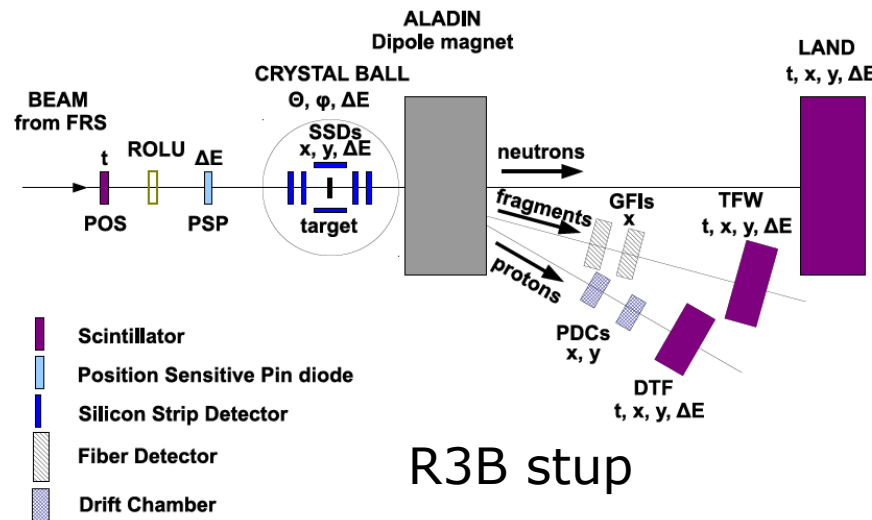
Faddeev/AGS is well suited for studying reaction mechanisms:

Particle fully exclusive (named (p,pN)/QFS): p,N and $A^{-1}X$ are measured

Particle inclusive (named N-knockout): Only $A^{-1}X$ is measured

Complementary reaction tools

Need to be investigated simultaneously (theoretically & experimentally)

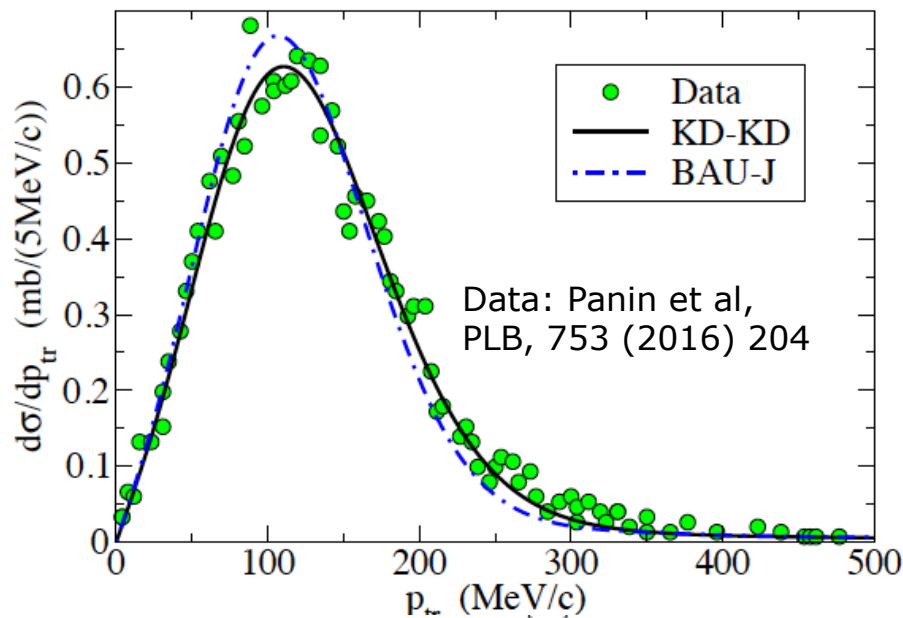


A. Henriques, *Nucleon knockout of ^{11}Be , from the collision with a proton target at high energies* (PhD thesis, Lisboa 2017): **both** particle fully exclusive and particle inclusive were analysed simultaneously.

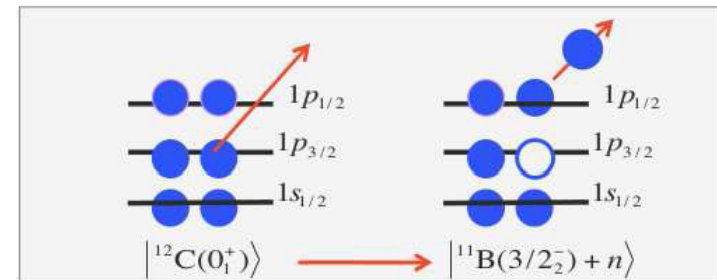
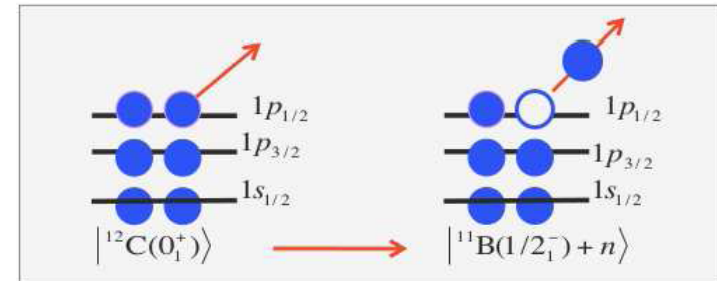
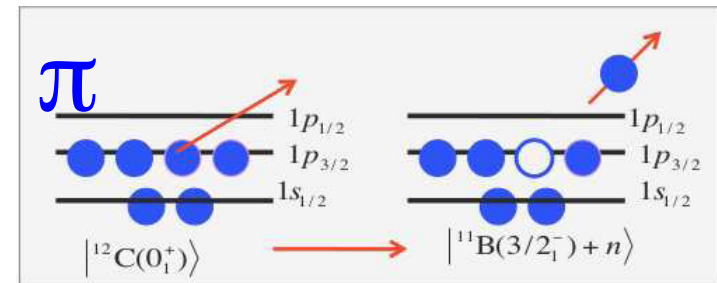
Q1) what is the accuracy of standard DR approaches ?

p-knockout from ^{12}C @ 400 MeV/u

$$|^A X\rangle = \mathcal{Z}(3/2_1^-) |^{A-1} X(3/2_1^-) \otimes 1p_{3/2}\rangle + \mathcal{Z}(3/2_2^-) |^{A-1} X(3/2_2^-) \otimes 1p_{3/2}\rangle + \mathcal{Z}(1/2_1^-) |^{A-1} X(1/2_1^-) \otimes 1p_{1/2}\rangle$$



V	I_C^π	nlj	$\sigma_{sp}(\text{mb})$	$\sigma_{exp}(\text{mb})$	\mathcal{Z}
BAU-J	$3/2_1^-$	$1p_{3/2_1}$	6.02	15.18(18)	2.52
	$1/2_1^-$	$1p_{1/2_1}$	5.90	1.92(2)	0.31
	$3/2_2^-$	$1p_{3/2_1}$	5.43	1.5(2)	0.28
					$\Sigma = 3.11$
KD-KD	$3/2_1^-$	$1p_{3/2_1}$	8.54	15.18(18)	1.85
	$1/2_1^-$	$1p_{1/2_1}$	8.50	1.92(2)	0.23
	$3/2_2^-$	$1p_{3/2_1}$	7.90	1.5(2)	0.19
					$\Sigma = 2.27$

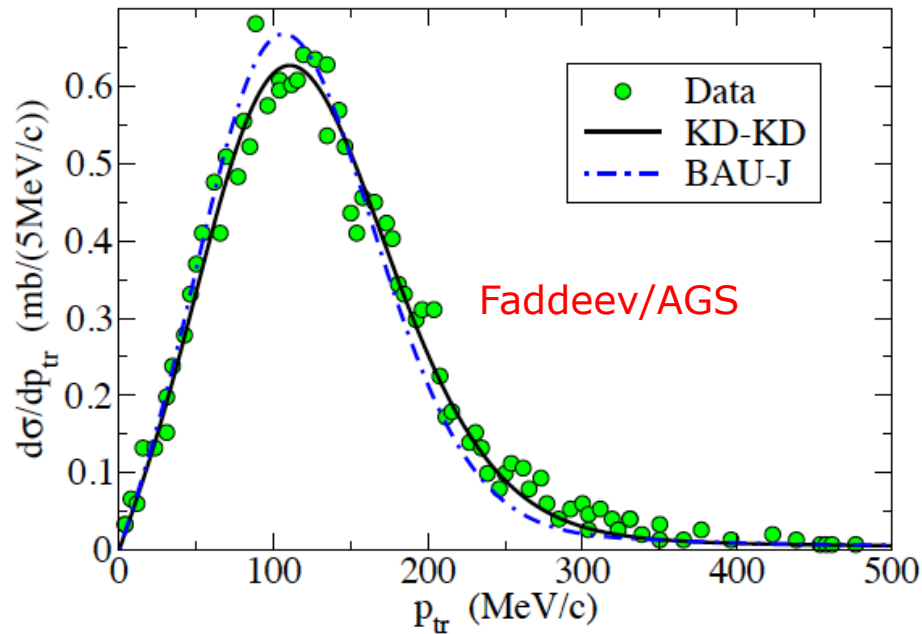


➤ *Uncertainty N-Core interactions*

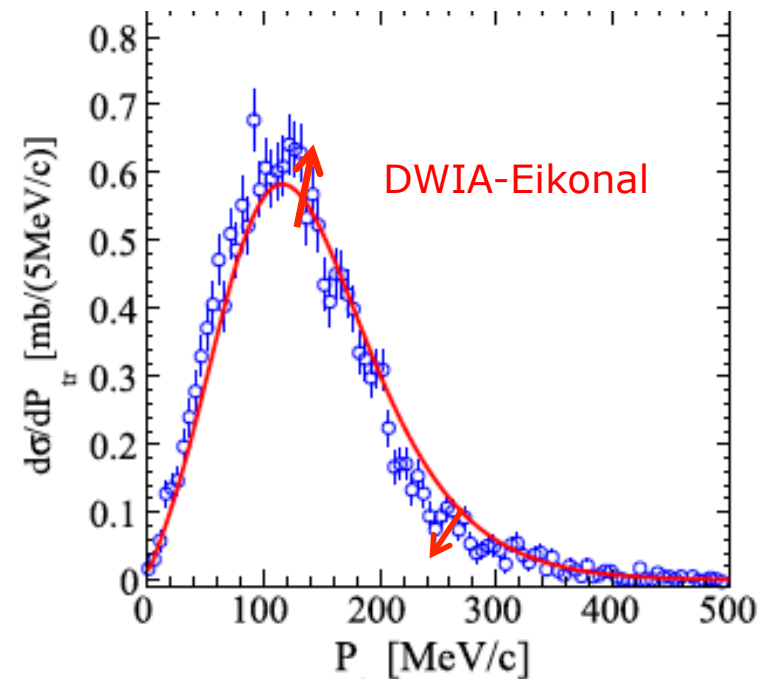
R. Crespo, E. Cravo, A. Deltuva, A. Deltuva, submitted PRC

Q1) what is the accuracy of standard DR approaches ?

p-knockout from ^{12}C @ 400 MeV/u



R. Crespo, E. Cravo, A. Deluva, submitted PRC



DWIA-Eikonal: T. Aumann, C. Bertulani, Ryckebush, PRC 88 (2013) 064610.

Reaction framework	$Z(3/2_1^-)$	$Z(1/2_1^-)$	$Z(3/2_2^-)$
FADD/BAU-J	2.52	0.31	0.28
FADD/KD-KD	1.85	0.23	0.19
DWIA-EIK	2.11	0.26	0.21

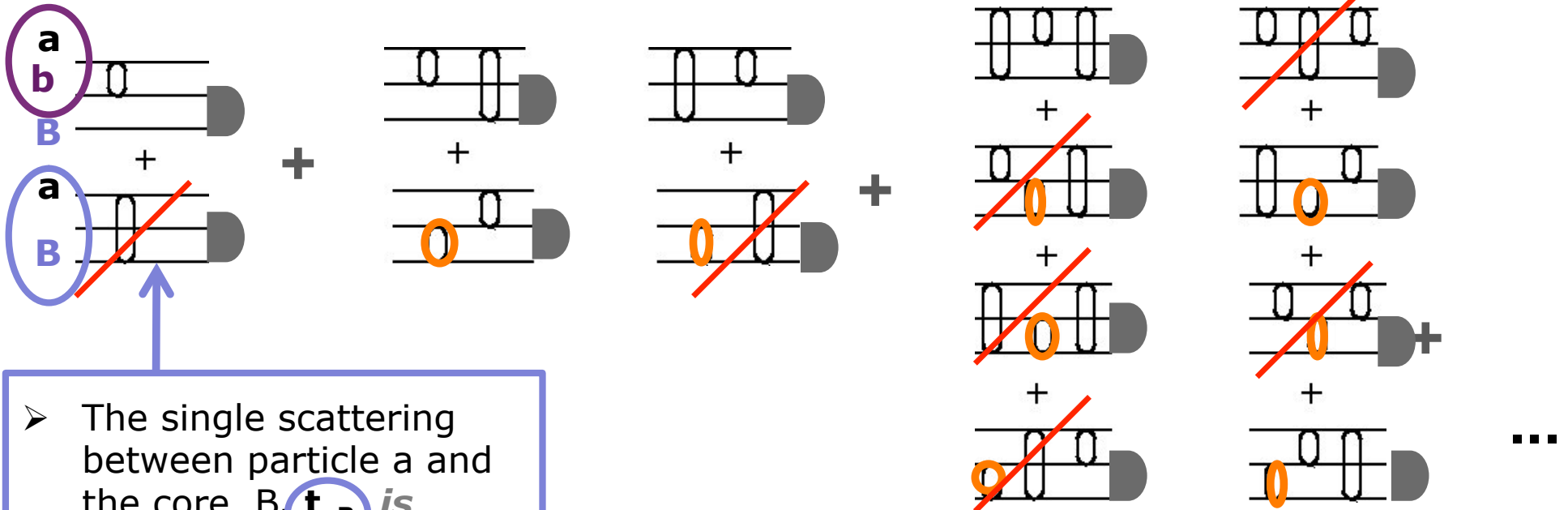
- Interaction uncertainty: $\Delta_{\max} = 50\%$
- Reaction model uncertainty: $\Delta_{\max} = 30\%$

Q1) what is the accuracy of standard DR approaches ?

DWIA:

$A(a, ab)B$

$$\langle \eta_{abB} | t_{ab} | \eta_{Aa} \phi_{bB} \rangle \approx \langle \eta_{aB} \eta_{bB} | t_{ab} | \eta_{Aa} \phi_{bB} \rangle$$



➤ The single scattering between particle a and the core B, t_{aB} is assumed to be exactly cancelled by higher order terms

➤ Diagrams where t_{ab} does not occur or appear more than once are not taken into account

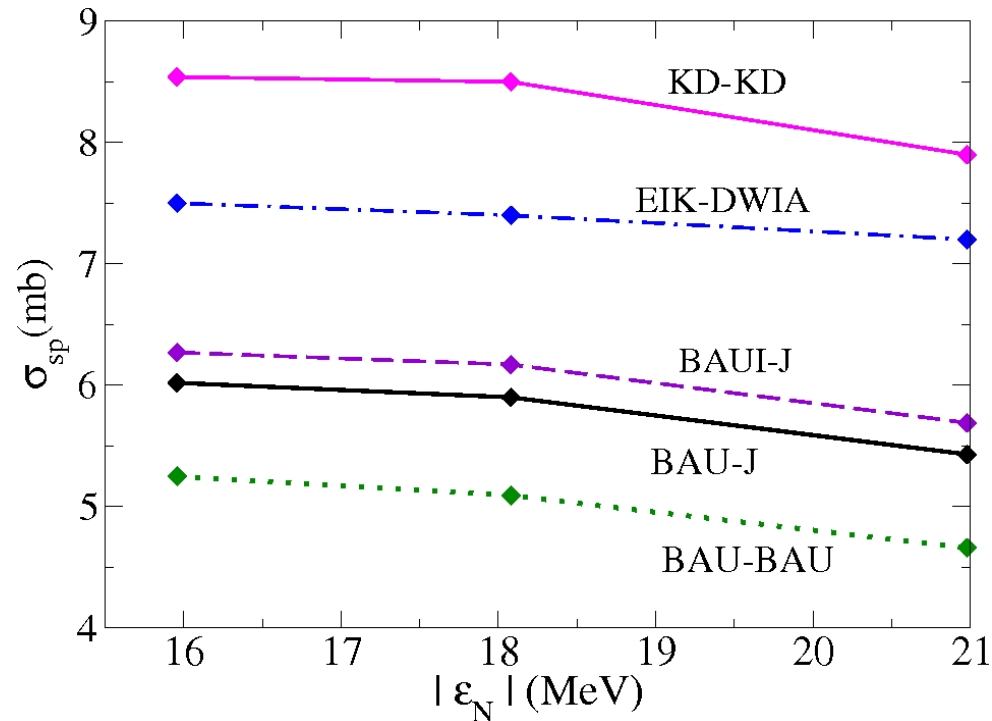
Glauber + adiabatic: rescattering terms are treated approximately

➤ Insight on the approximations using the AGS/Faddeev formalism

R. Crespo, A. Deluva and E. Cravo, PRC 90, 044606 (2014).

Q1) what is the accuracy of standard DR approaches ?

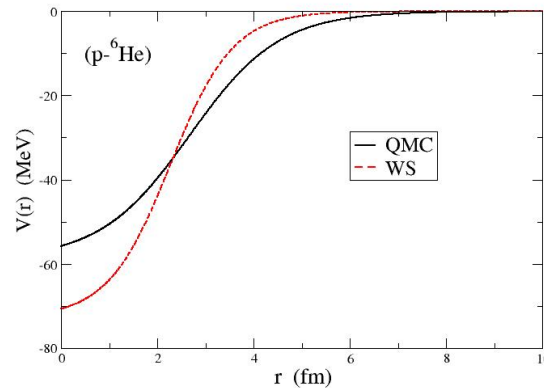
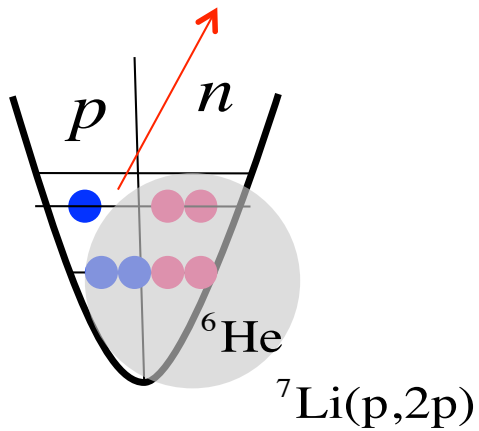
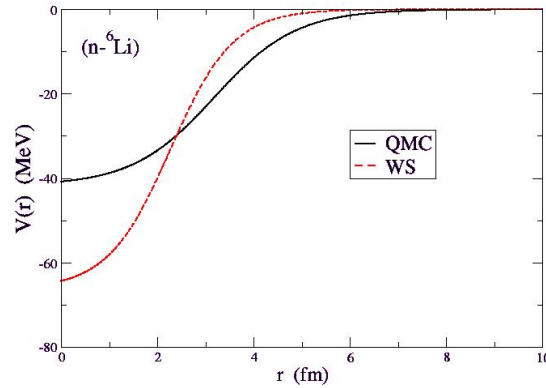
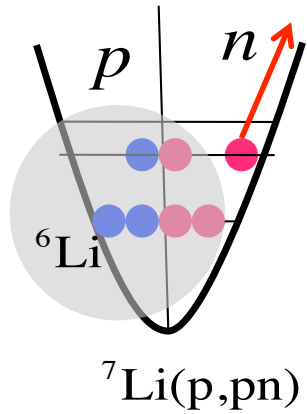
p-knockout from ^{12}C @ 400 MeV/u



Faddeev/AFS: R. Crespo, E. Cravo, A. Deluva, submitted PRC

DWIA-Eikonal: T. Aumann, C. Bertulani, Ryckebush, PRC 88 (2013) 064610.

Q2a) what are the structure effects on the description of the gs ?



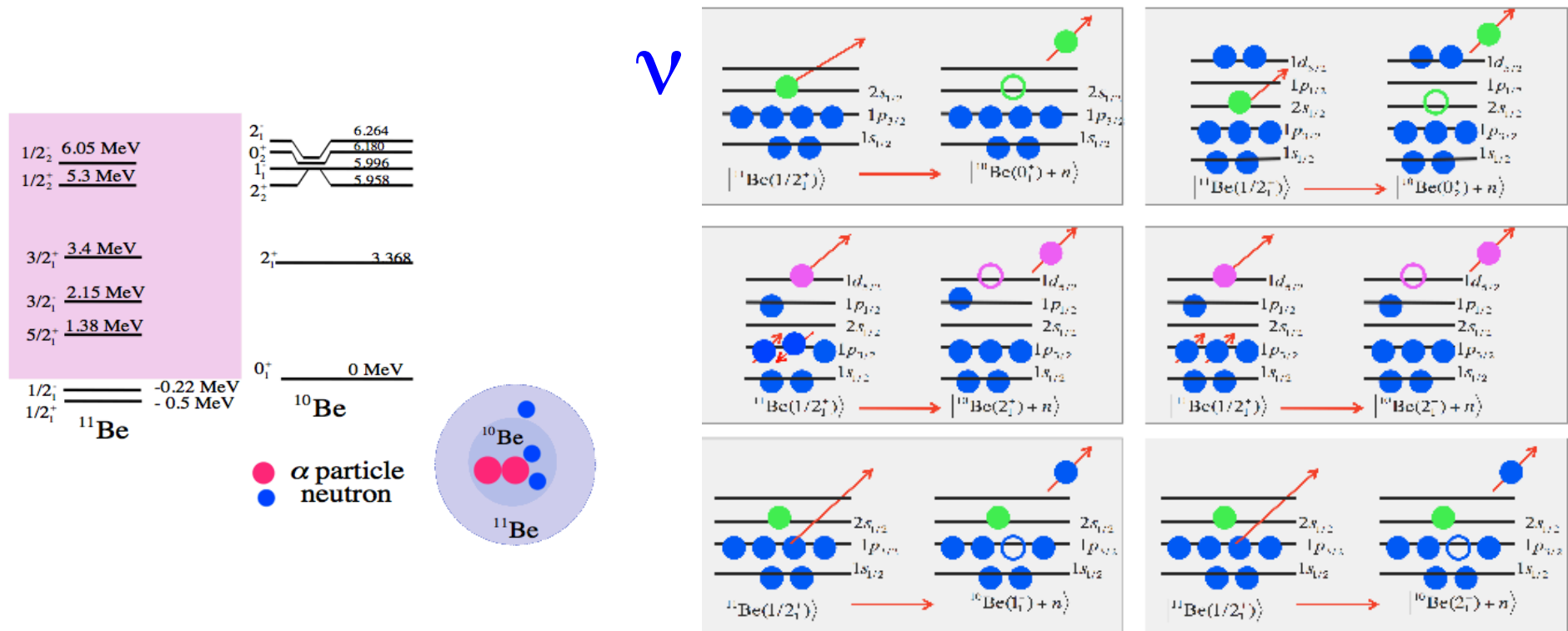
Reaction	$\sigma_{\text{th}}^{\text{QMC}}$ (mb)	$\sigma_{\text{th}}^{\text{IPM}}$ (mb)	$\Delta_{\text{th}}(\%)$
${}^7\text{Li}(p,pn){}^6\text{Li}$	15.4	16.9	9
${}^7\text{Li}(p,2p){}^6\text{He}$	5.08	7.84	54

R. Crespo E. Cravo, A. Deltuva, A. Arriaga, R. Wiringa, R. Diego, to be published in Journal Physics G (2018).

Q2b) Importance of good description of core excited states

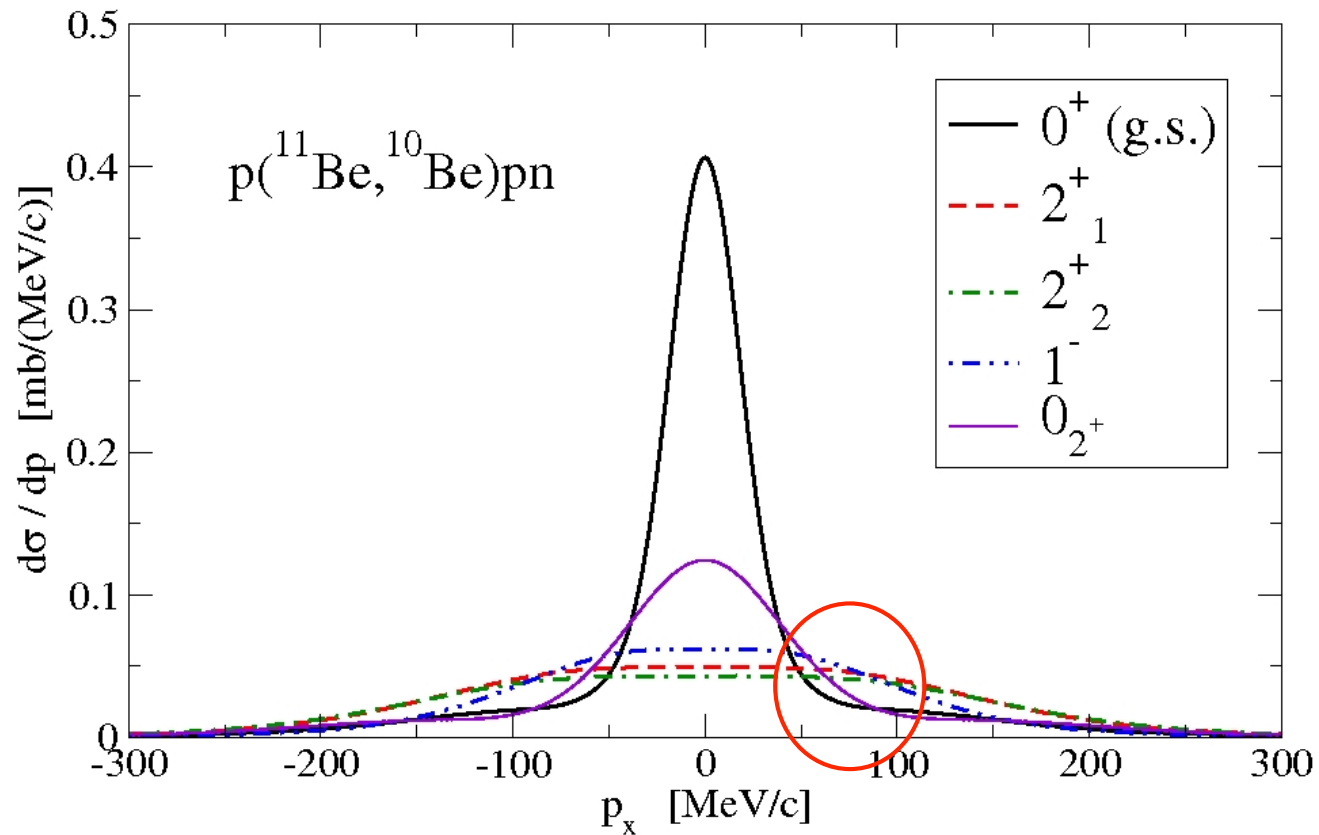
Valence-shell knockout from ^{11}Be to the ^{10}Be ground state

Inner-shell knockout from ^{11}Be to the ^{10}Be core excited state



R. Crespo and E. Cravo, *Critical phenomena: Coexistence of valence single particle- and core-excitations in the ^{11}Be halo nucleus*, published in *Fewbody systems*, Springer (2018).

Q2b) Importance of good description of core excited states



Structure information is needed !

R. Crespo and E. Cravo, *Critical phenomena: Coexistence of valence single particle- and core-excitations in the ^{11}Be halo nucleus*, published in *Fewbody systems*, Springer (2018).

Nucleon knockout: reaction and structure

Answer to the Questions:

- 1) What is the **accuracy** of current standard Fewbody DR approaches ?

R: Uncertainties on the potential describing the interactions are large and need to be reduced

- 2) What are the role of the **many body degrees of freedom** in the scattering process?

R: Many body degrees of freedom need to be taken into account

- TASK FORCE:
- Full understanding of the reaction mechanisms
- Consistent measurement & theoretical analysis of all possible channels

Ex: $p(A, pp_{N-1}X_{Z-1})$, $p(A, pn_{N-1}X_Z)$, $p(A, n_N X_{Z-1})$, $p(A, p_{N-1}X_Z)$

- Merging microscopic structure information into reactions

THANK YOU !

